# Lecture 3 Conditions and branches Arithmetic and logic

**Computing platforms** 

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#### Arithmetic instructions

Instruction	Synopsis	Formula	Flags Affected
add rn,rm	add rn to rm	rm := rn + rm	C,V by operation; Z,N by result
addc r $n,rm$	add with carry r $n$ to r $m$	$\mathtt{r}m:=\mathtt{r}n+\mathtt{r}m+\mathrm{C}$	"
sub r $n,$ r $m$	subtract $rm$ from $rn$ , copy to $rm$	rm := rn - rm	"
cmp rn,rm	as above, except $\mathbf{r}m$ left unchanged	rn - rm	"
$\operatorname{neg}$ r $n$	2's comp change of sign	$\mathtt{r}n:=-\mathtt{r}n$	11
inc rn	add 1 to $\mathbf{r}n$	$\mathtt{r}n:=\mathtt{r}n{+}1$	11
dec r $n$	subtract 1 from $rn$	$\mathtt{r}n:=\mathtt{r}n{-}1$	11
clr r $n$	clear rn	$\mathtt{r}n:=0$	$C{=}1,V{=}0,Z{=}1,N{=}0$
tst r $n$	test r $n$	$\mathtt{r}n:=\mathtt{r}n$	C=0,V=0; Z,N by result

Figure 5.1: Arithmetic operations

#### Logic instructions

Instruction	Synopsis	Formula
and rn,rm	Load $\mathbf{r}m$ with the bit-wise <b>and</b> of $\mathbf{r}n$ , $\mathbf{r}m$	$\mathtt{r}m:=\mathtt{r}n\wedge \mathtt{r}m$
or r <i>n</i> ,r <i>m</i>	Load $\mathbf{r}m$ with the bit-wise or of $\mathbf{r}n$ , $\mathbf{r}m$	$\mathtt{r}m:=\mathtt{r}n\vee\mathtt{r}m$
xor r <i>n</i> ,r <i>m</i>	Load $\mathbf{r}m$ with the bit-wise <b>xor</b> of $\mathbf{r}n$ , $\mathbf{r}m$	$\mathtt{r}m:=\mathtt{r}n\oplus\mathtt{r}m$
not r $n$	Load $rn$ with the bit-wise <b>not</b> of $rn$	$\mathtt{r}n:=\mathtt{r}n'$

Figure 5.2: Logic operations

#### Shift and move instructions

Instruction	Synopsis	Formula	Flags Affected
shra r $n$	arithmetic shift right $rn$	$\mathtt{r}n:=\mathtt{r}n/2$	C = (rn  bit  0)  before op
			V=0; N,Z by result
shla r $n$	${f arithmetic \ shift \ left \ r}n$	$\mathtt{r}n:=\mathtt{r}n{+}\mathtt{r}n$	same as add
$\mathtt{shr} \ \mathtt{r} n$	sliced shift right r $n$	$\mathtt{r}n:=\mathtt{r}n/2$	C = (rn  bit  0)  before op
		rn bit 7:=(C before op)	V=0; Z, N by result
${\tt shl} \; {\tt r}n$	sliced shift left r $n$	$\mathtt{r}n:=\mathtt{r}n{+}\mathtt{r}n{+}(\mathrm{C} ext{ before op})$	same as addc
${\tt rol}\;{\tt r}n$	$rotate \ left \ rn$	$\mathtt{r}n:=\mathtt{r}n{+}\mathtt{r}n{+}(\mathtt{r}n ext{ bit }7)$	V=0; the rest same as addc
move rn,rm	move rn to rm	$\mathtt{r}m:=\mathtt{r}n$	V=C=0; Z,N by result

Figure 5.3: Data movement operations

### Where shift operations are used?

- Multiplication/division by powers of 2
- [Parts of algorithms for] multiplication/division by arbitrary number
  - We will discuss this later today
- Bit arrays and sets
  - We will discuss this next week
- Data structures with fields not aligned to byte boundary
  - Say, we need to encode two numbers, one 0..1023, second 16..47
  - UTF-8 and many compressed data formats
- Communication protocols (transmit data one bit a time)

### CdM-8 flag semantics

- N sign bit of the result. Used for signed comparison
- C carry bit of the result. Used for unsigned comparison
- Z result is zero. Used for signed, unsigned and bitwise comparison
- V signed overflow (sign loss). Can be used to catch errors
- V is also needed for *correct* signed comparison

## C and unsigned subtraction/comparison again

- Subtraction ⇔ adding 2'complement
- When the result < 0, C is 0
- $1-255 = 1+0000\ 0001 = 2$
- When the result > 0, C is 1
- 3-2 = 11+1111 1110 = 1+C

#### Full list of CdM-8 branch instructions

condition	test	interpretation
eq/z	Z	equal, equal to zero / Zero is set
ne/nz	$\neg Z$	not equal, not zero, Zero is clear
hs/cs	С	unsigned higher or same / Carry is set
lo/cc	¬C	unsigned lower / Carry is clear
mi	N	negative (minus)
pl	$\neg N$	positive or zero (plus)
vs	V	oVerflow is set
vc	$\neg \mathbf{v}$	oVerflow is clear
hi	C∧¬Z	unsigned higher
ls	¬C∨Z	unsigned lower or same
ge	$(N \land V) \lor (\neg N \land \neg V)$	greater than or equal, greater than or equal to zero
lt	$(N \land \neg V) \lor (\neg N \land V)$	less than, less than zero
gt	$(\neg Z \land N \land V) \lor (\neg Z \land \neg N \land \neg V)$	greater than, greater than zero
le	$(Z \vee N \land \neg V) \vee (\neg N \land V)$	less than or equal, less than or equal to zero

Figure 5.4: Control conditions.

#### More about branches

- In typical assembler, branch is like goto statement.
- You must invent label names and jump to labels
- Typical equivalent of if (condition) { then-block } else {else-block) requires one comparison, two labels, one branch and one jump
- (unconditional branch)

Condition calc

b[!cond] \$1

Then-block

```
Br $2
```

\$1: Else-block

\$2: ...

### CdM-8 assembler has richer syntax

#### lf

Calc condition

is cond

Then-block

#### Else

Else-block

#### Fi

# Real example

if tst r0 is z ldi r1, 10 add r1, r0 else

shla r0

fi

- Consult tome.pdf for syntax for complex conditions
- (it is not so elegant)

#### Loops

# r2=r0\*r1 (assuming r1 is non-negative) clr r2 while tst r1 stays gt add r0, r2 dec r1 wend

#### Post-condition loop

inc r0 # point r0 to the next element ld r0, r1 # read the element into r1 tst r1 # examine it until z # if r1 is 0 then exit, otherwise continue

## Nesting of if's and loops is possible

- You can use them like blocks in high-level languages
- You do not need to invent label names
- You do not need to worry about correct nesting
- Much harder to write spaghetti code (than with raw branches)
- This is why CdM-8 assembly is called Platform 3 <sup>1</sup>⁄<sub>2</sub>
- Actually, it is much simplier to implement than you probably think
- It is all described in tome.pdf
- Beware: in some exercises using structural statements is explicitly prohibited